

# Phenomenology at colliders (1)

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# Plan

## I. INTRODUCTION AND MOTIVATION

### 1. Why colliders ?

- energy
- parameters : luminosity
- structure : orbit, acceleration, collimation, emittance

### 2. Detectors

- structure, acceptance

### 3. The need for pdf's

- the Drell-Yan process
- jet production
- top production

## II. STRUCTURE FUNCTIONS AND PARTON DISTRIBUTION FUNCTIONS

1. Deep inelastic scattering and structure functions
2. Quark parton model
3. Scaling violation
4. QCD evolution and DGLAP equations

### iii. FACTORISATION THEOREMS; PDF PARAMETERISATIONS

1. Factorisation theorems
2. Drell-Yan production with CMS
3. Parton distribution function parameterisations
4. Parton distribution uncertainties
5. Some (of many) uncovered topics

# I.1 Why colliders ?

## Structure, parameters

# Fixed target and collider experiments

## Fixed target

beams: e, p, ions (+ radioactive beams) ;  $\gamma$ ,  $\nu$ ,  $\mu$ ,  $\pi$ , K, hyperons

target: p, n ( $D_2$ ), nuclei

## Colliders

leptons  $e^+e^-$  - future  $\mu^+ \mu^-$  (?)

LEP, SLC, meson factories (s, c, b)

hadrons pp ppbar ions

ISR SppS Tevatron RHIC LHC

l-h ep

HERA

## Centre of mass energy $\sqrt{s}$

FT  $\sqrt{s} = 2 m E_b$

coll.  $\sqrt{s} = 2 E_b$

LEP 2x50 ... 2x104 GeV

ISR 2x31 GeV SppS 2x350

Tev 2x1 TeV

LHC 2x10-14 TeV

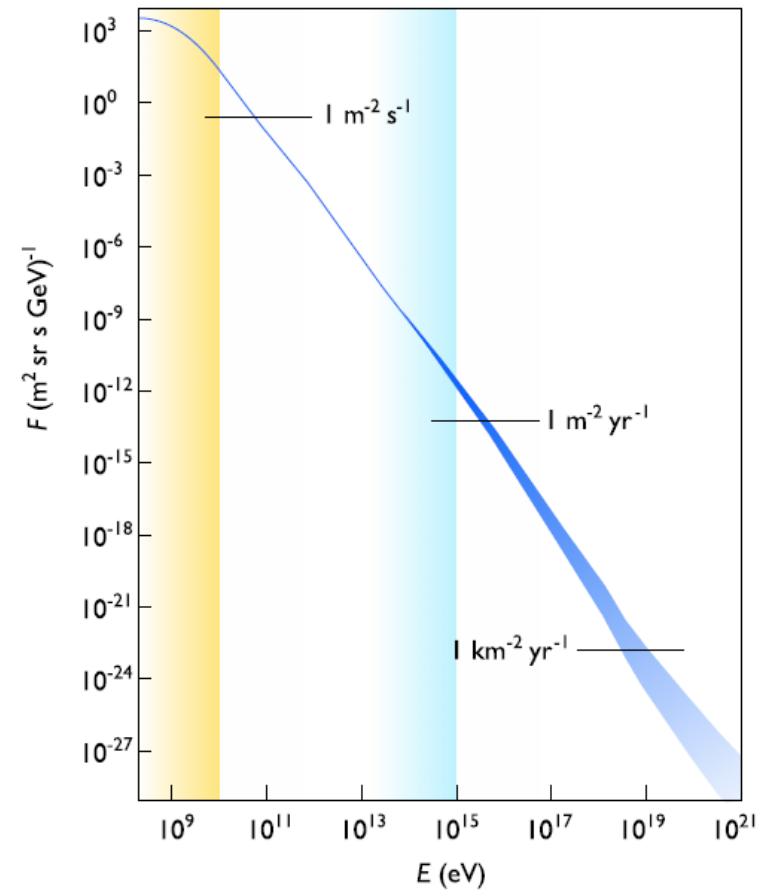
meson factories adjust to  $\phi$ ,  $\Psi$ ,  $Y$

Universe as accelerator :

Cosmic ray spectrum

->  $10^{19}$  eV

*equivalent collider energy ?*



# Collider structure

« Circular » geometry

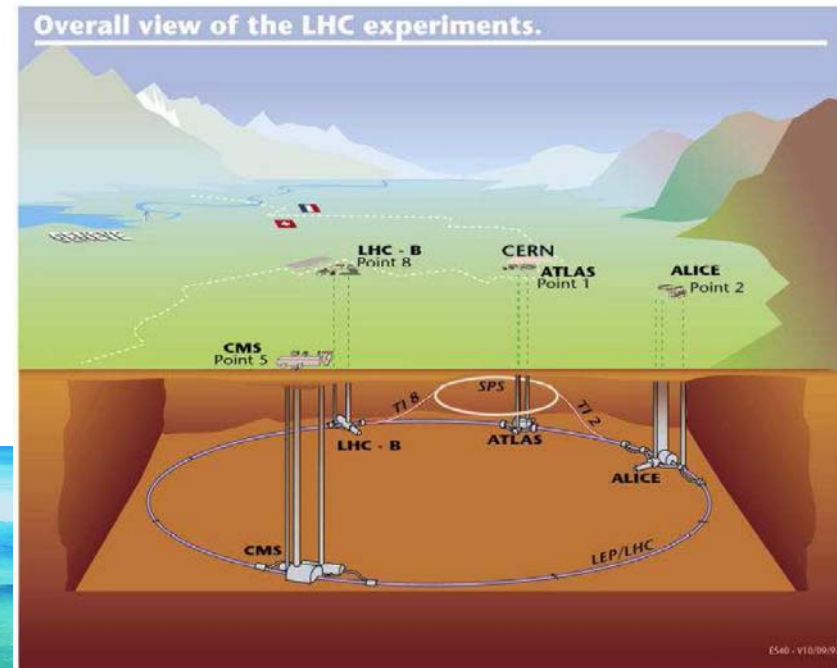
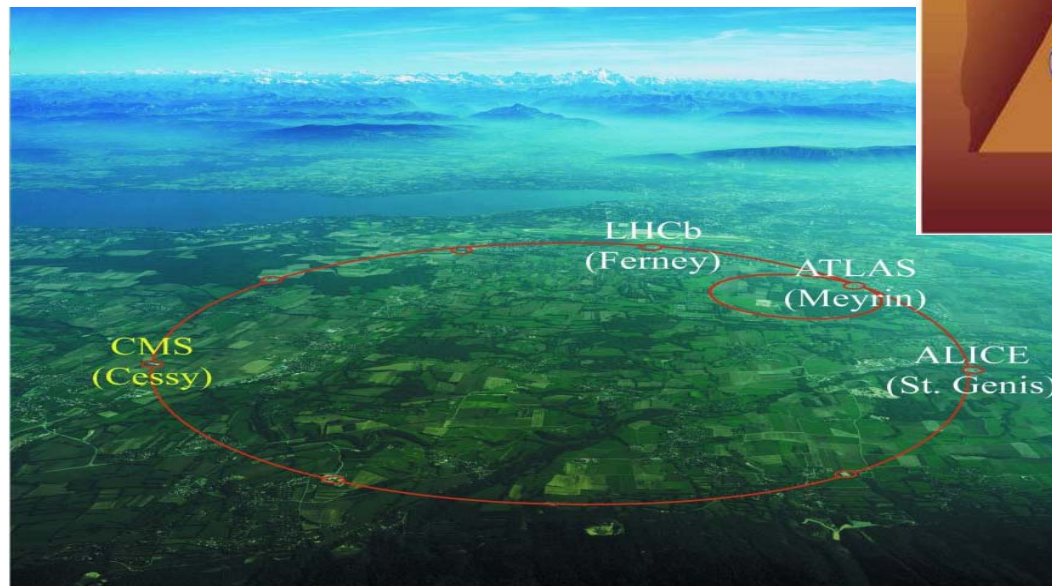
+ straight sections : injection, extraction, acceleration, experiments

$$E = 300 B R$$

(B in GeV, B in Tesla, R in km)

LHC : R in circular sections about 3 km  
(LEP tunnel)

$$B = ??$$



# Electron colliders

Limitation of electron circular colliders :

**Bremsstrahlung emission** (synchrotron radiation)  $\sim \gamma^4$

cf. LEP at 104 GeV

-> linear colliders : SLD, ILC, CLIC

hudge accelerator gradient needed !

-> hadronic colliders

->  $\mu^+ \mu^-$  plans

**Advantage** of lepton colliders

well defined centre of mass energy

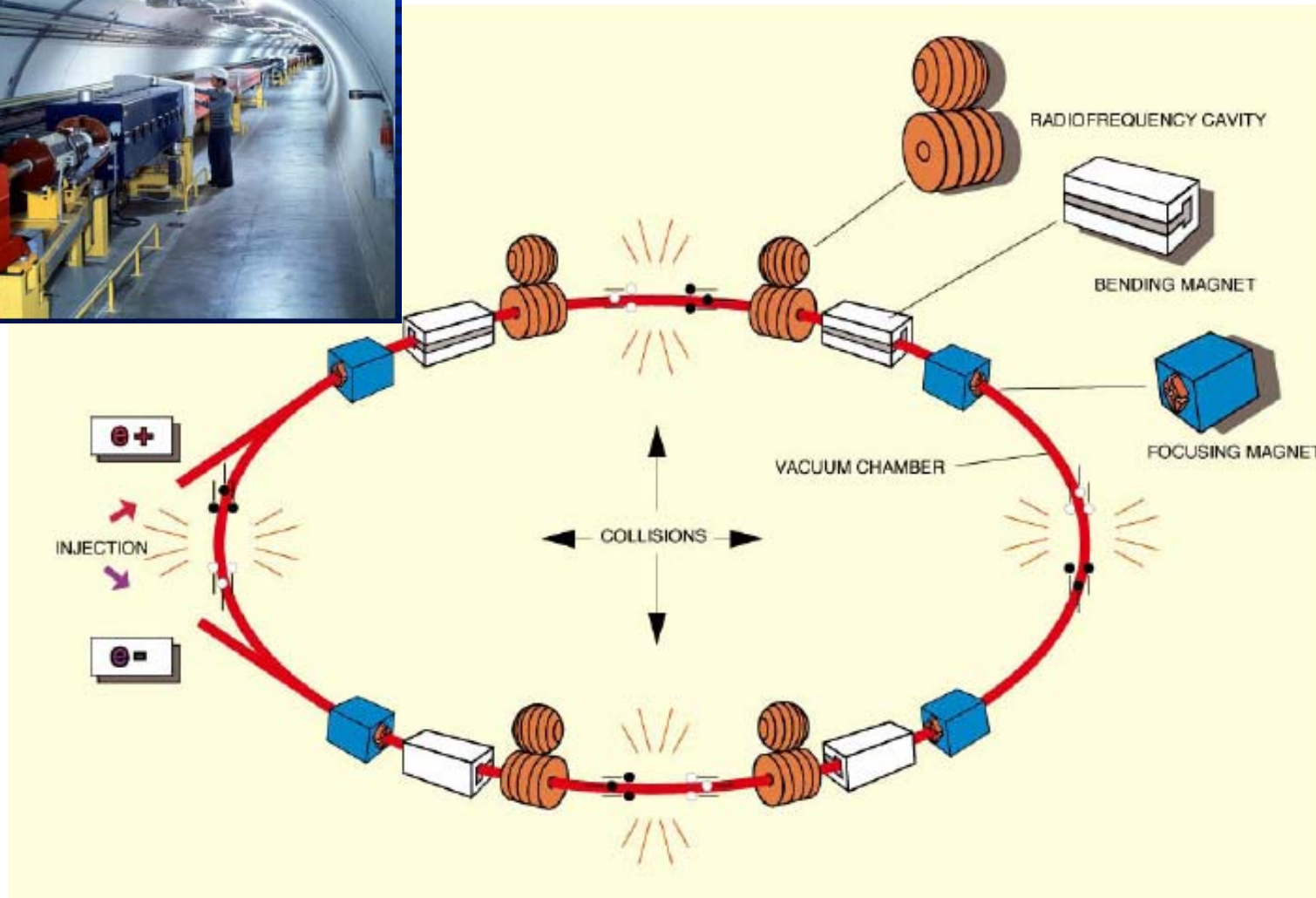
hadron colliders : parton collisions



**Bending** : superconducting dipole magnets,  $B$  perp. to beam

**Focusing** : quadrupole magnets 1 focusing + 1 defocusing in the 2 perp. directions

**Acceleration** : superconducting radiofrequency cavities



# Collider parameters

## Luminosity

$$dN = L \sigma dt$$

$$L = i_1 i_2 l_b / s.c = 1.3 \cdot 10^{27} i_1 i_2 l_b / s \quad [\text{cm}^{-2} \text{s}^{-1}]$$

NB in colliders, beam are in bunches

record luminosity : Belle 2  $10^{34} \text{ cm}^{-2} \text{ s}^{-1}$

- what is the reach of 1 year running with  $L = 10^{31} \text{ cm}^{-2} \text{ s}^{-1}$  ?

- for  $\sigma(pp)$  about 100 mb:

*how many superimposed interactions at LHC (time between bunches = 40 ns)  
for  $10^{34} \text{ cm}^{-2} \text{ s}^{-1}$*

increase luminosity => bunches as compact as possible

strong focusing close to the interaction points (experiments)

## Luminosity measurement

- beam detectors

- physics processes

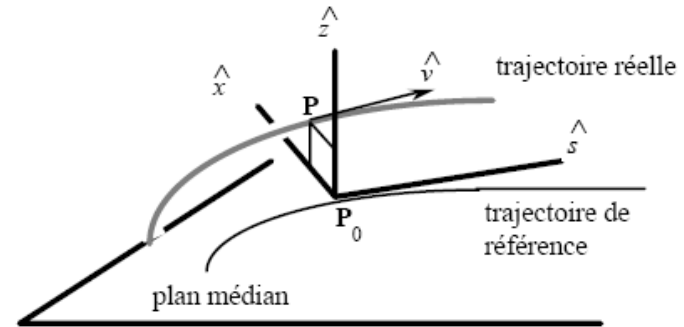
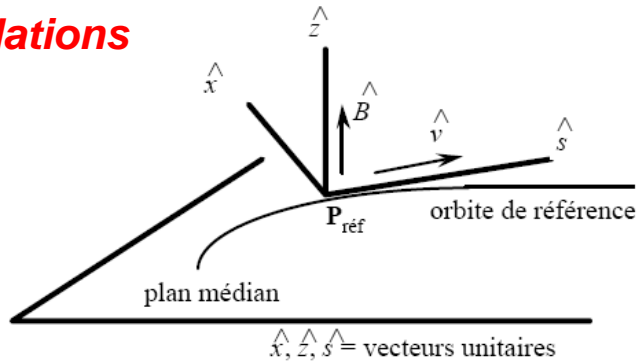
LEP Bhabha scattering :  $e^+ + e^- \rightarrow e^+ + e^- + \gamma$

HERA Bethe-Heitler scattering :  $e + p \rightarrow e + p + \gamma$

LHC Drell-Yan cross section at the Z peak

total inelastic cross section (use of forward calorimeters)

## Oscillations



particles which are not exactly on « reference orbit » oscillate around it

- $\Delta x$        $x$  = dir. perp. to beam in hor. plane i.e. along radius
- $\Delta z$        $z$  = vert. dir.
- $\Delta p$       not injected with exactly same energy  
(no problem with ee: Brem. uniformises !)
- $\Delta \phi$       not injected at exactly the same phase (at the same time)

$\Delta x, \Delta z$  : « *betatronic oscillations* » = transverse oscillations

$\Delta p$  : effect on acceptance in  $x$

transverse oscillations

amplitude of these oscillations -> acceptance of vacuum chamber

$\Delta \phi$  : « *synchrotron oscillations* » = longitudinal oscillations

(part. should remain inside bunch !)

**Betatron oscillations** ( $\Delta x, \Delta z$ )

oscillation phase space is given by ellipse in the  $(x, x')$  sp:

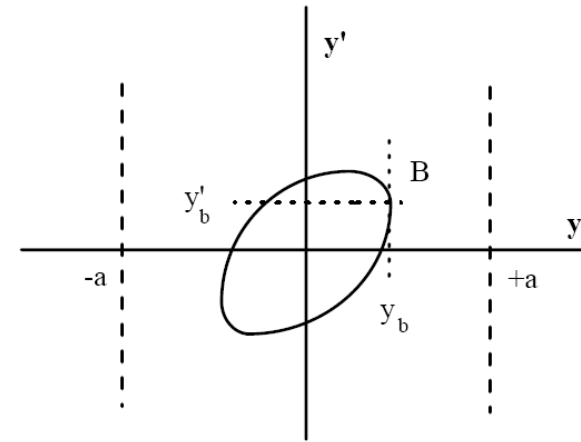
$x$  = dir. perp. to beam in hor. plane

$x'$  = gradient along the beam :  $dx / ds$

(idem for  $z$ , vert. direction)

Dimension of this ellipse given by injection conditions :

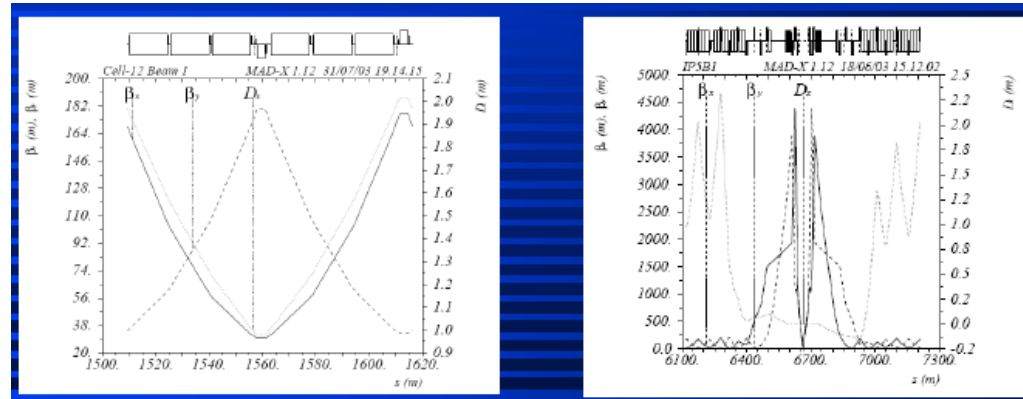
« *emittance* »



focus in  $x \Rightarrow$  large  $x' \Rightarrow$  large angle

this is described by « *beta function* »

focusing by « small beta insertions »



For total cross section measurements (forward elastic scattering) :  
 large dispersion of interaction angle incompatible with measurement  
 at very small angle (TOTEM)

$\Rightarrow$  *which beta function values ?*

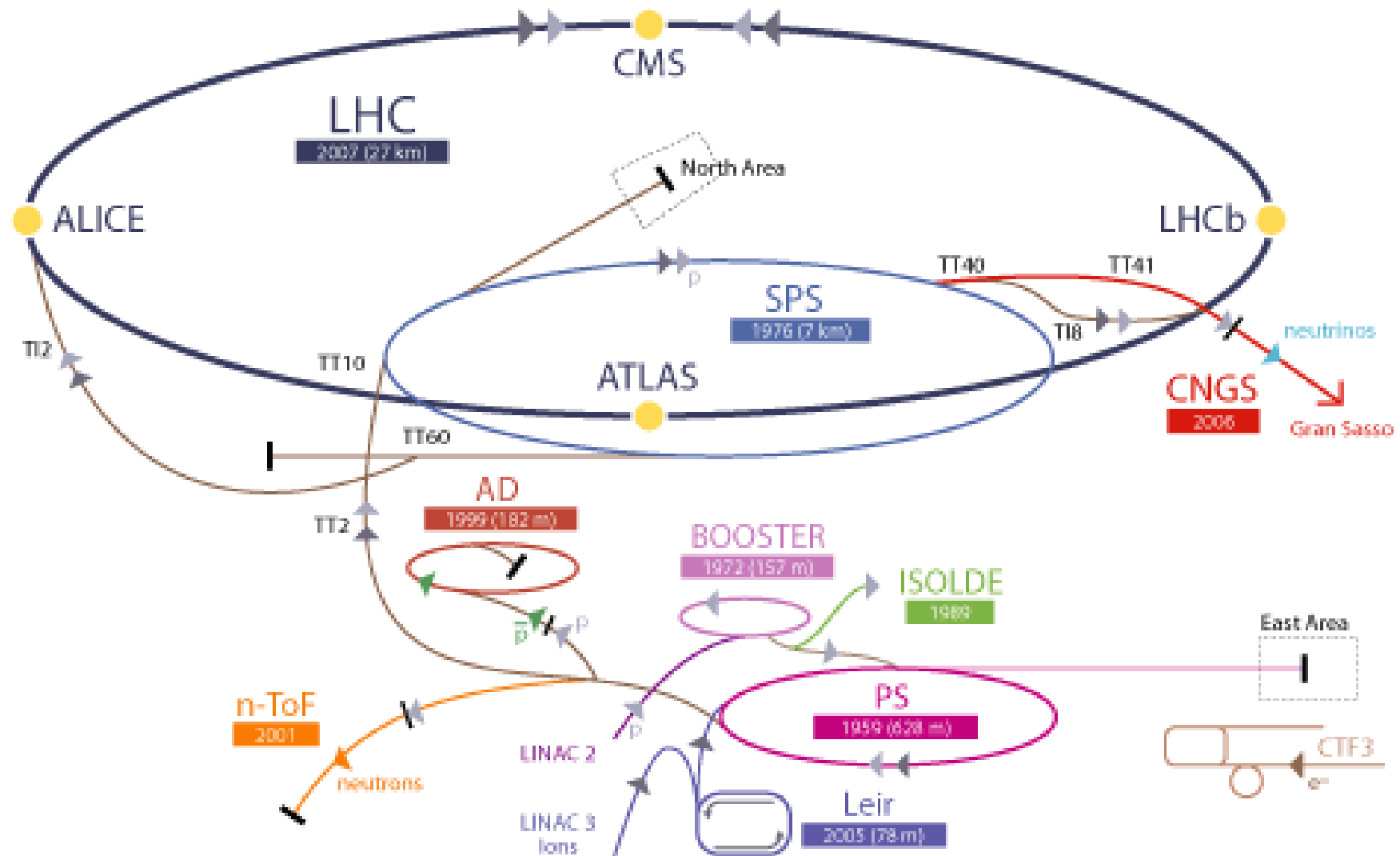
Problem : focusing in  $x \leftrightarrow$  defocusing in  $z$

Solution : pairs of focusing and defocusing quadrupoles  
(cf. optics)

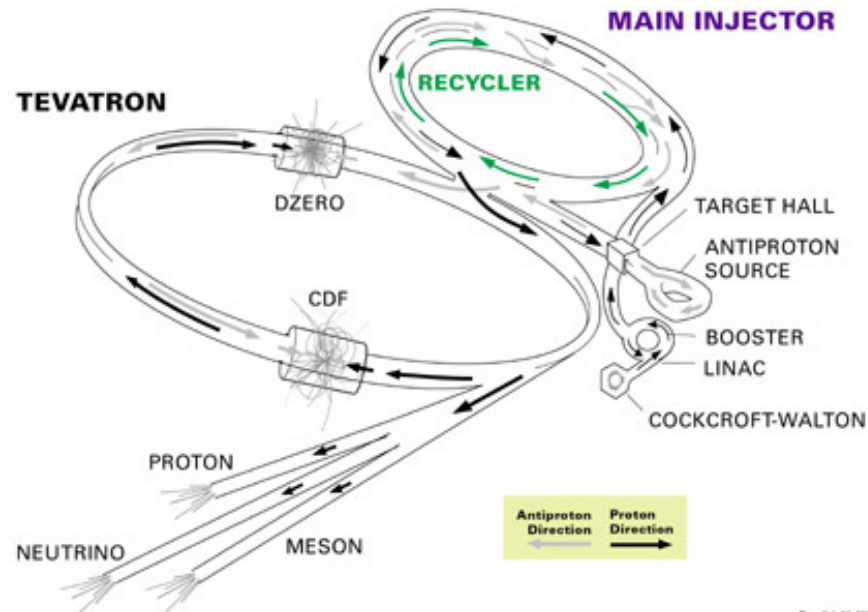
(+ sextupoles, octupoles for other corrections)

Tuning conditions  $\Rightarrow$  chain of injectors

# CERN Accelerator Complex



## FERMILAB'S ACCELERATOR CHAIN



Fermilab 00-435

# Tevatron

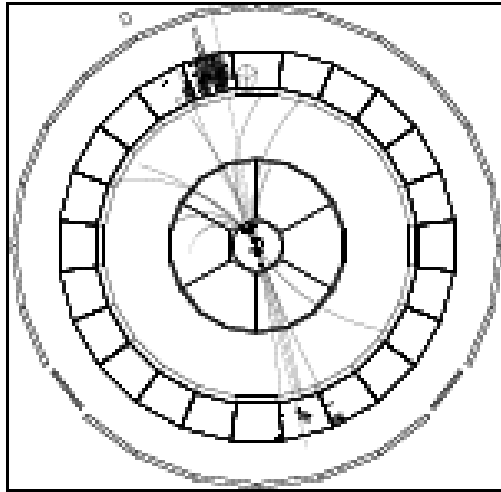
+ antiproton source and accumulation



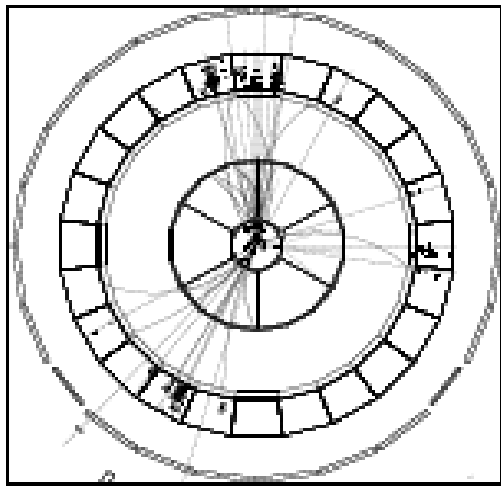


## 1.2 Collider detectors

# e<sup>+</sup>e<sup>-</sup> interactions (LEP )

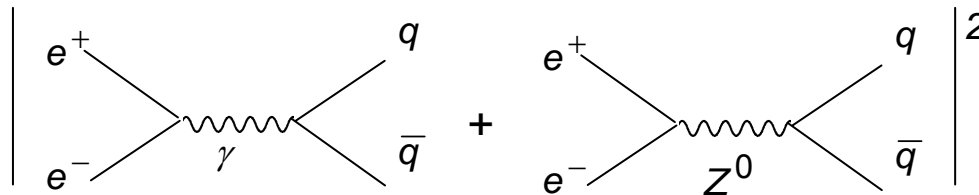
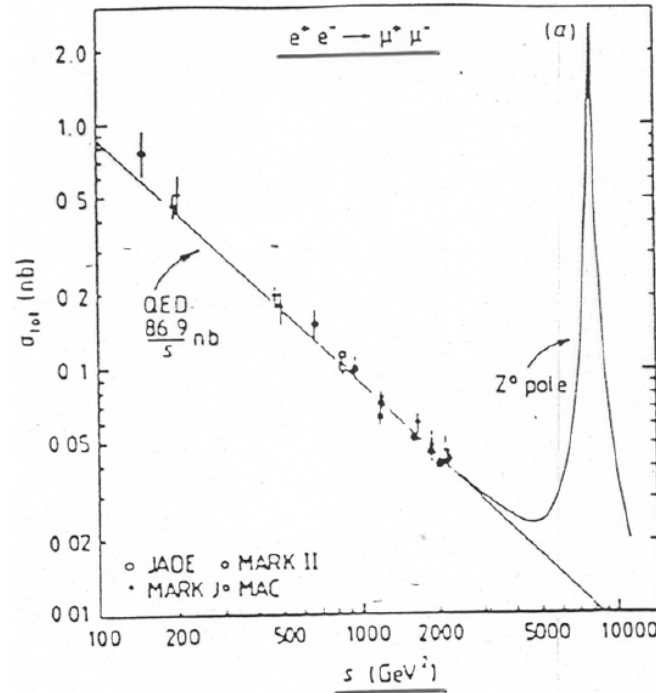


$$e^+e^- \rightarrow Z^0 \rightarrow q\bar{q}$$

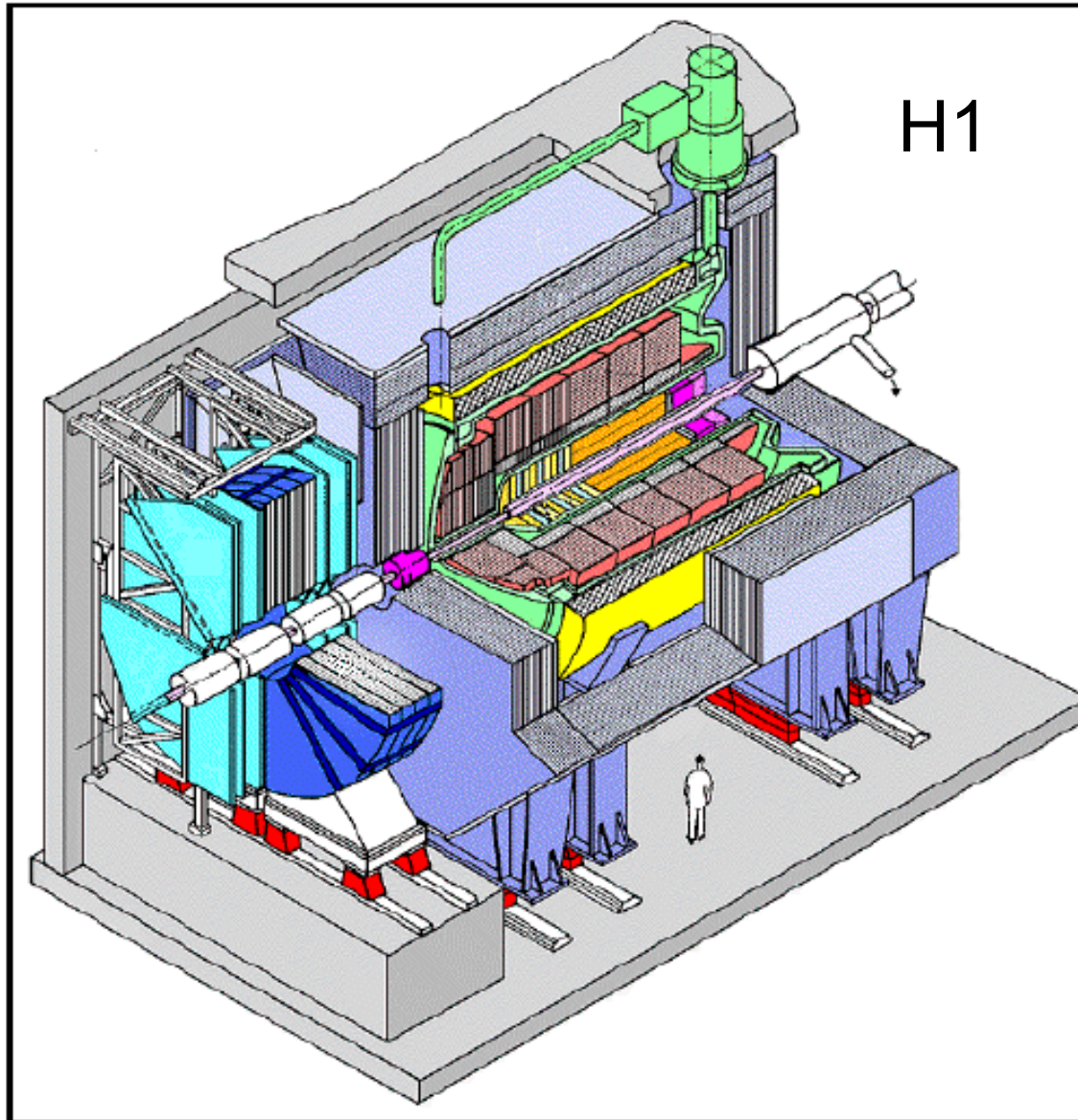


$$e^+e^- \rightarrow Z^0 \rightarrow q\bar{q}g$$

symmetric, hermetic, (modest) particle identification  
 (tracks, electrons and photons, hadrons, muons)  
 very « clean » events, well centred



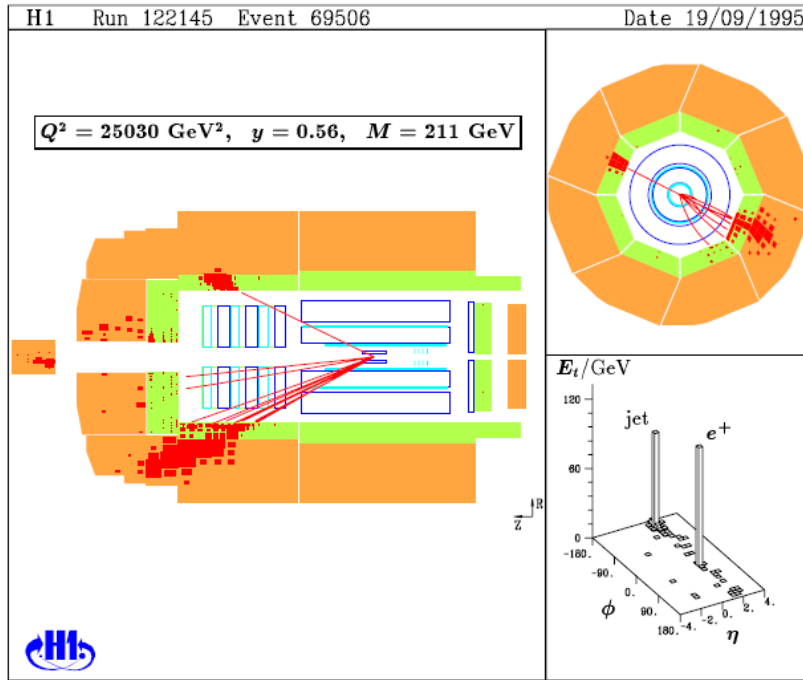
# ep interactions (HERA )



hermetic  
not symmetric

Other asymmetric detectors:  
b factories (Belle)  
Y boosted  
→ one b boosted  
→ enhance decay vertex  
meast.

# H1



neutral current event

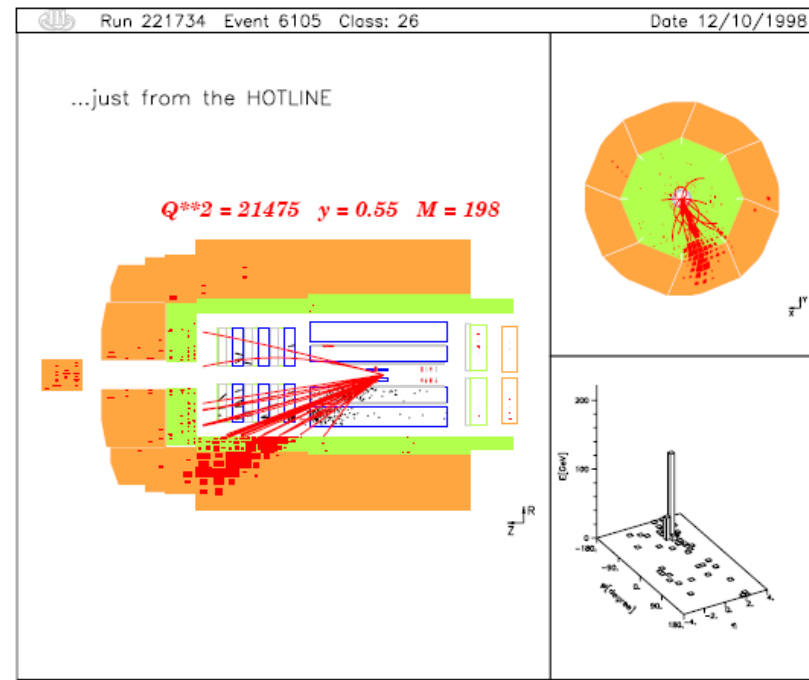
$$e + p \rightarrow e + q \text{ jet} + p \text{ jet}$$

asymmetric events  $\rightarrow$  asymmetric detector

interaction on a quark in the proton, carrying  $E_q = x E_p$

additional activity in the « forward » region = p remnant jet

$$W^2 \simeq Q^2 / x$$



charged current event

$$e + p \rightarrow \nu_e + q \text{ jet} + p \text{ jet}$$

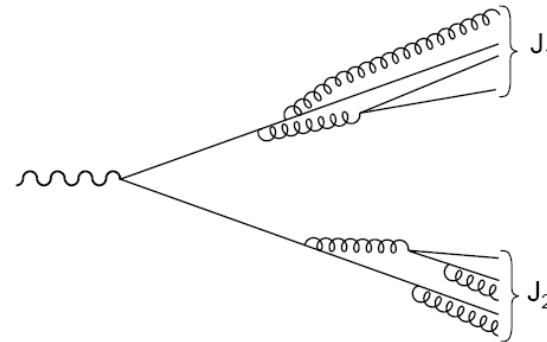
(where is the  $\nu$  ?)

# Jet fragmentation

quarks and gluons are colour charged

=> must « **hadronize** »

gluon Bremsstrahlung



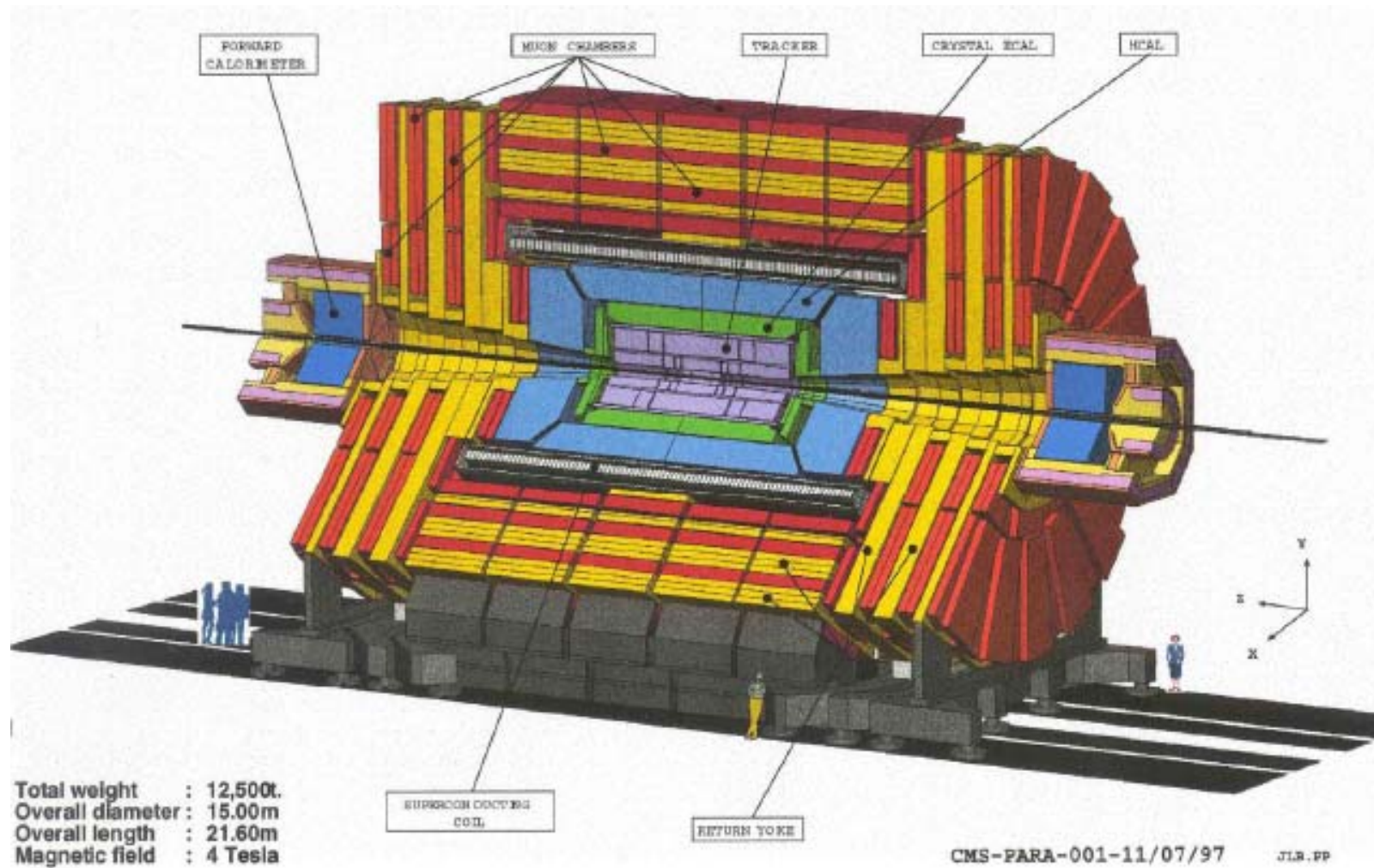
typical  $p_t$  of particles around jet (quark or gluon) axis

given by strong interaction scale  $\approx 1$  fm

$\exp(-B p_T)$  with  $B \approx 300$  MeV

(0.2 GeV fm = 1)

# CMS



hermetic

symmetric

particle identification

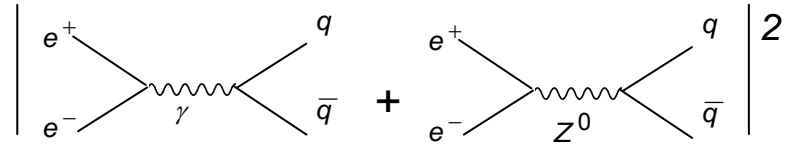
# I.3 Parton distribution functions motivations



# Drell-Yan production

LEP

$$e^+e^- \rightarrow \gamma / Z \rightarrow q\bar{q}$$

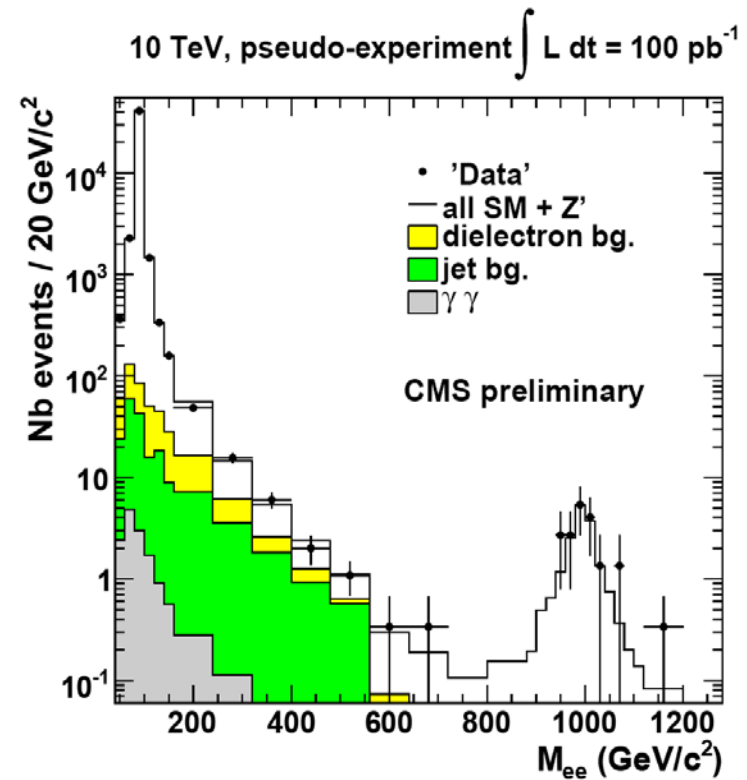
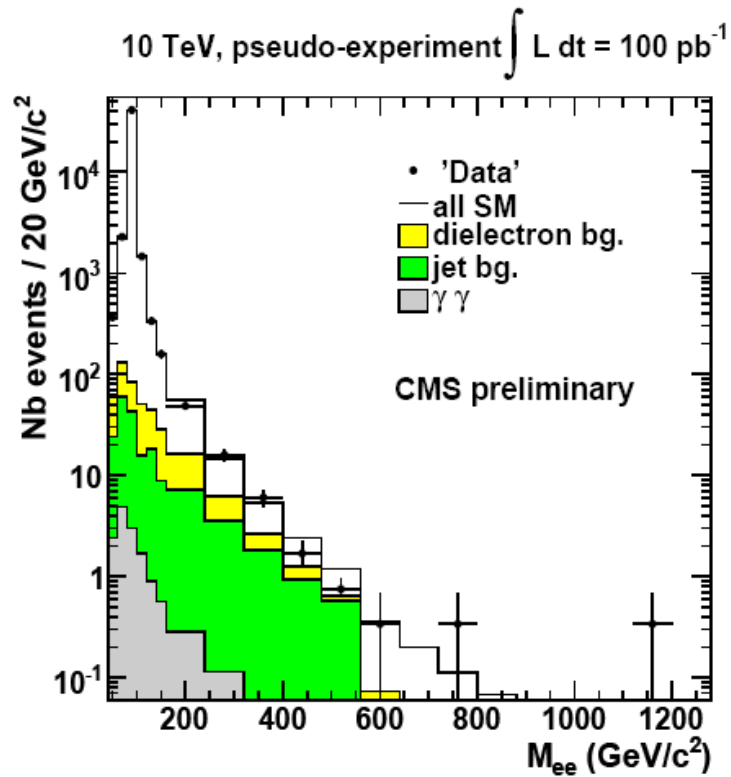


LHC

$$q\bar{q} \rightarrow \gamma / Z \rightarrow e^+e^-$$

+ Z' ???

(GUT, extradimensions)





# Kinematics

quark with proton energy fraction  $x_1$  antiquark with  $x_2$

Let us compute

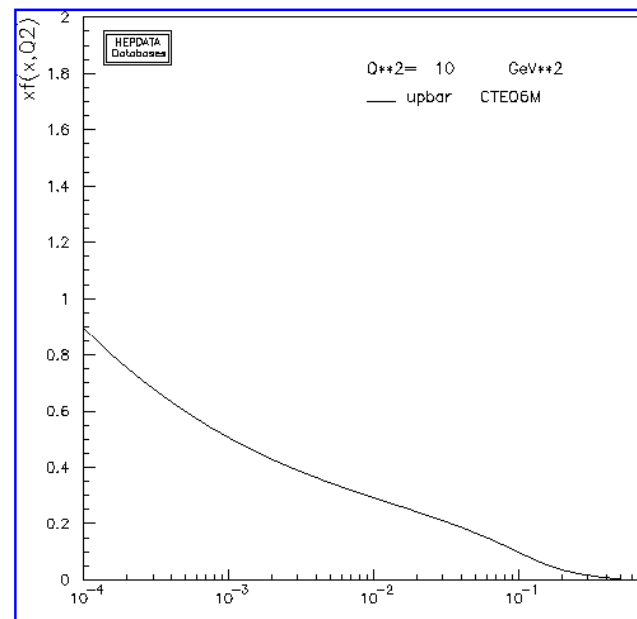
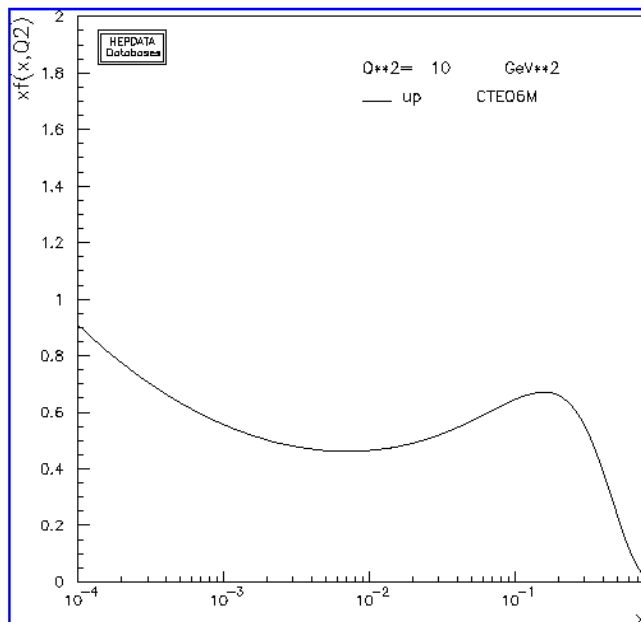
$$M = \sqrt{(x_1 x_2) s} \quad (\sqrt{s} = 2E_b)$$

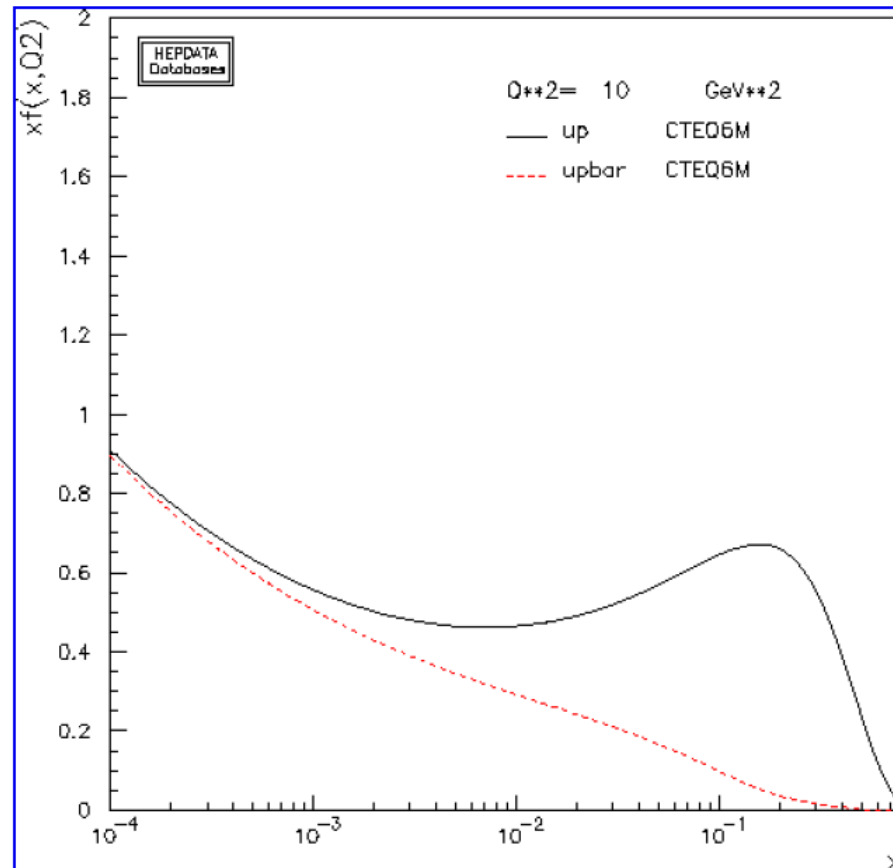
$x_1$   $x_2$  not fixed and no reason that  $x_1 = x_2$

i.e. two interacting particles (quarks) have different energies  $\neq e^+e^-$

$$M = 100 \text{ GeV} \rightarrow \langle x \rangle = ?$$

but mass distribution depends on quark distribution in proton – pdf's





Remember :  $W^2 \approx Q^2 / x$

=> **smaller x reachable at larger beam energy**